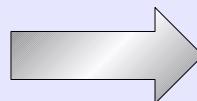
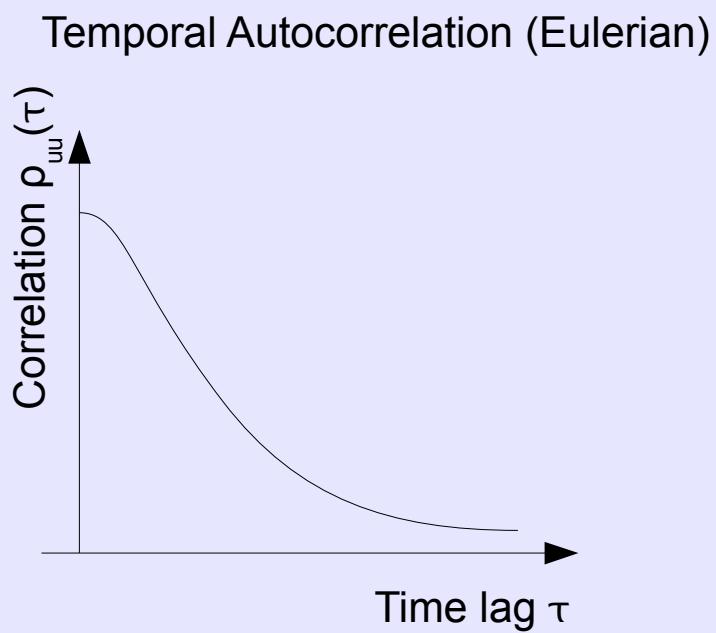
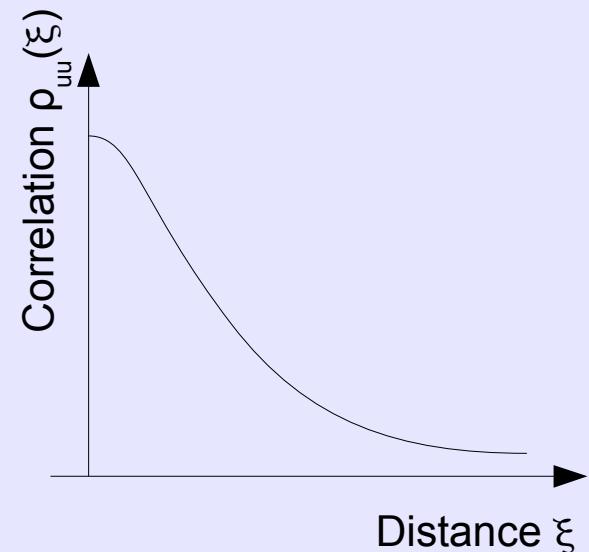


A Statistical Method for Transforming Temporal Correlation Functions from One-Point Measurements into Longitudinal Spatial and Spatio-Temporal Correlation Functions

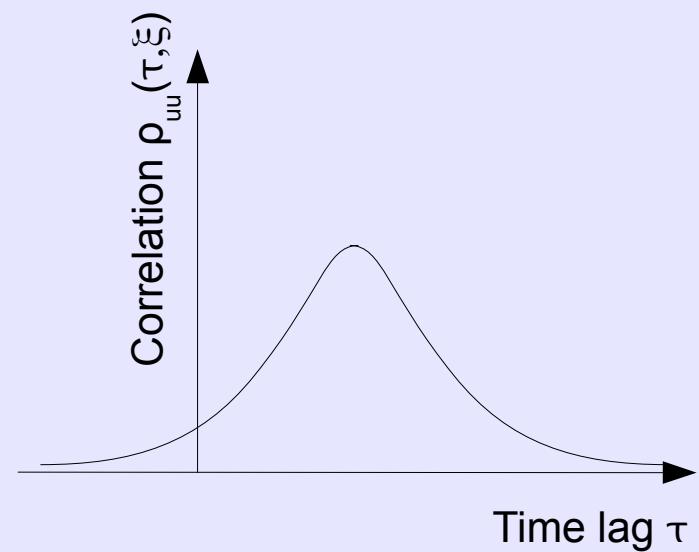
An Alternative to Taylor's Frozen Flow Hypothesis



Spatial Autocorrelation



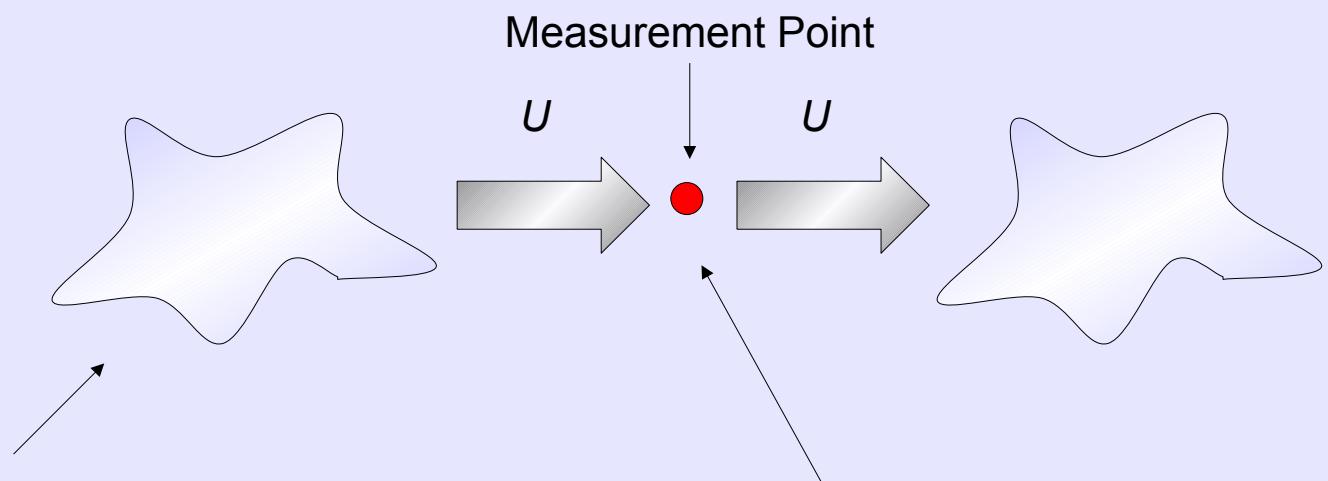
Spatio-Temporal Correlation



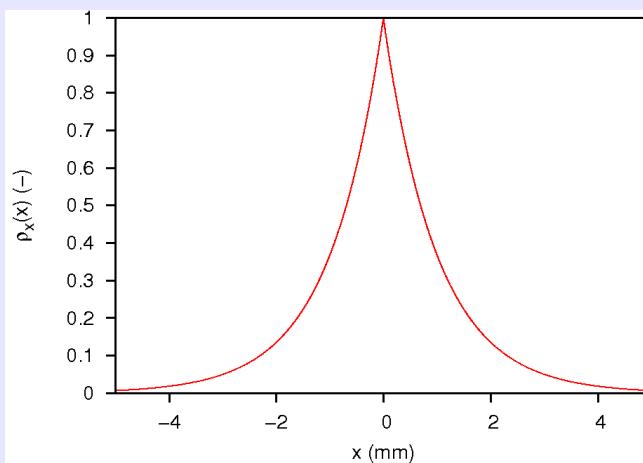
◆ Taylor's Frozen Flow Hypothesis

$$U \gg u'$$

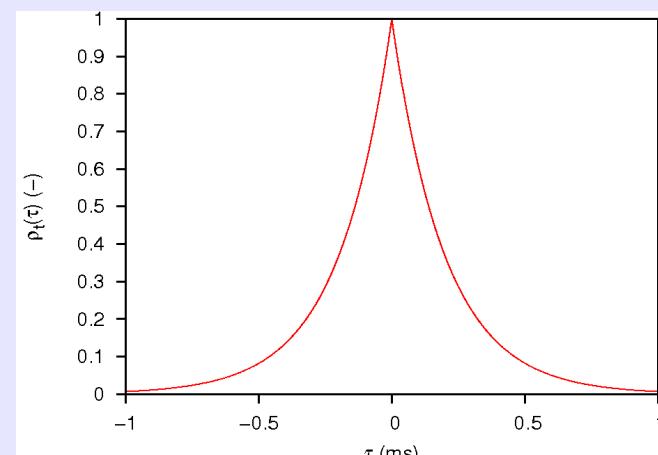
Local quantities (like gradients)
As well as "structures"



Spatial Autocorrelation Function

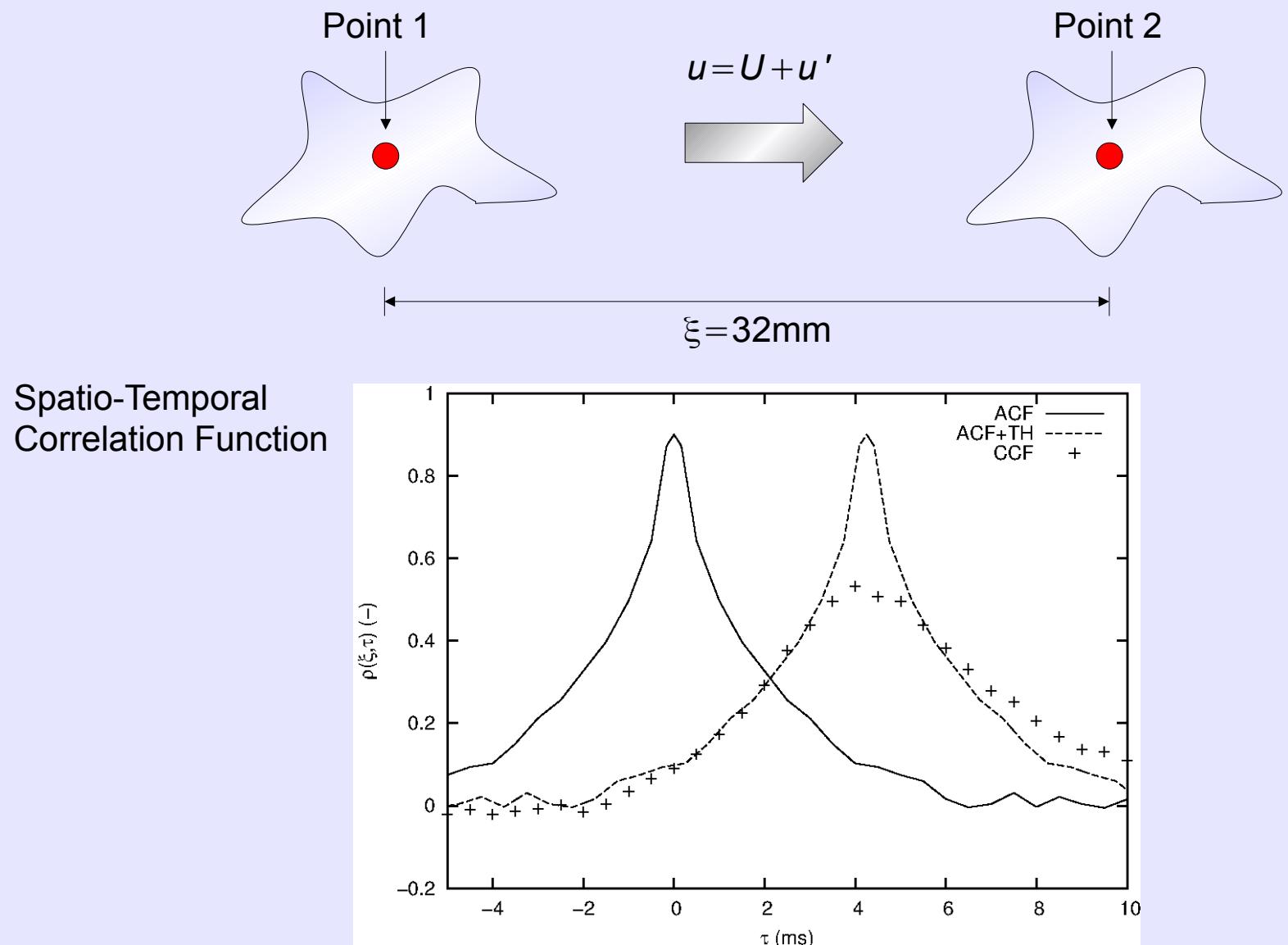


Temporal Autocorrelation Function (Eulerian)



◆ Variable Velocity

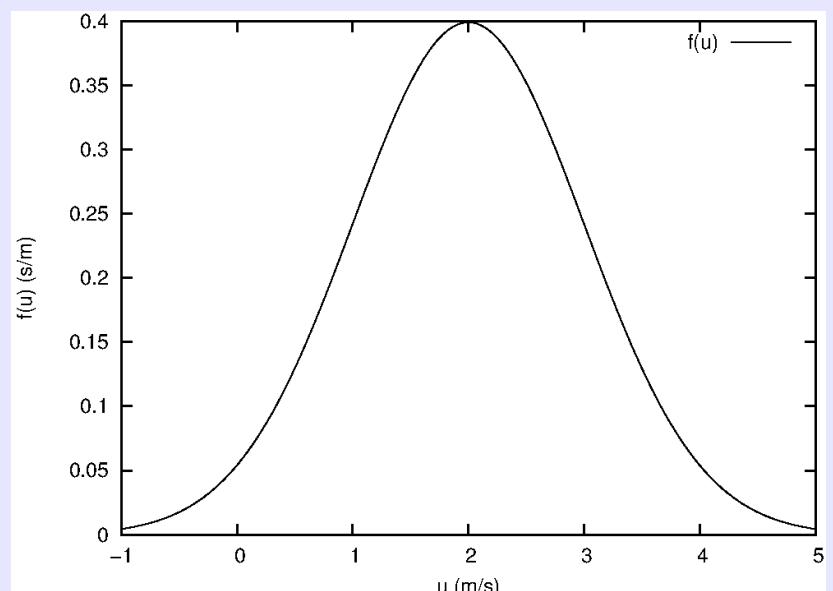
Corrections for Local quantities (like gradients)
“Structures” ?



- ◆ Corrections for Gradients
- ◆ Frequency dependent transfer functions
- ◆ Elliptical Model

◆ Velocity Statistics

Probability density $f_u(u)$

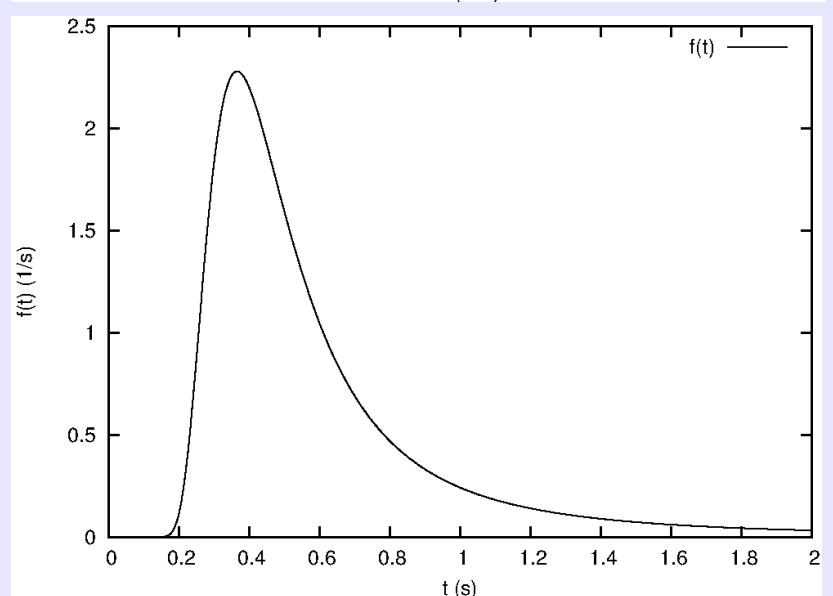


◆ Time-of-Flight Statistics

Time of Flight

$$t = \frac{\xi}{u}$$

Probability density $f_t(t) = \frac{|\xi|}{t^2} f_u\left(\frac{\xi}{t}\right)$

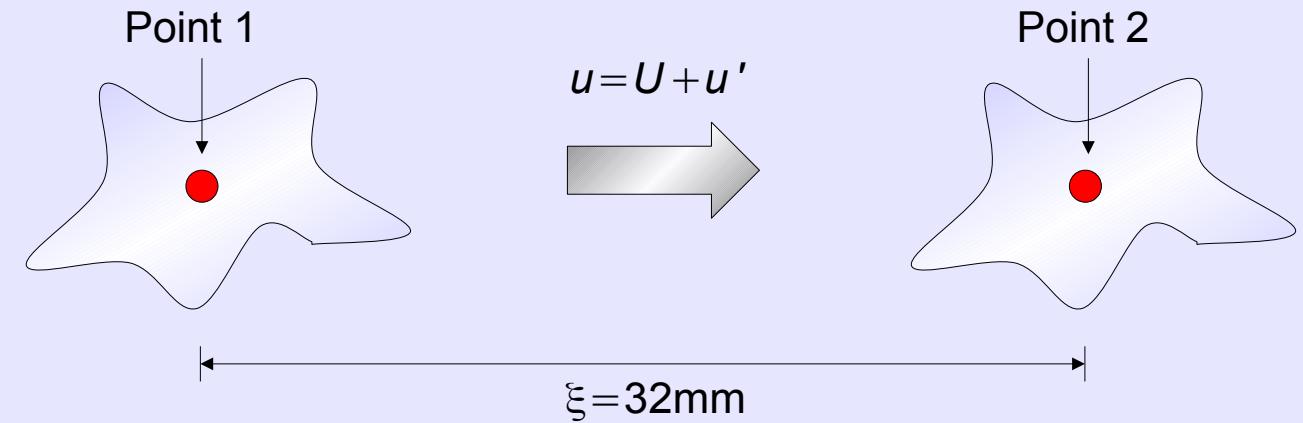


◆ Average

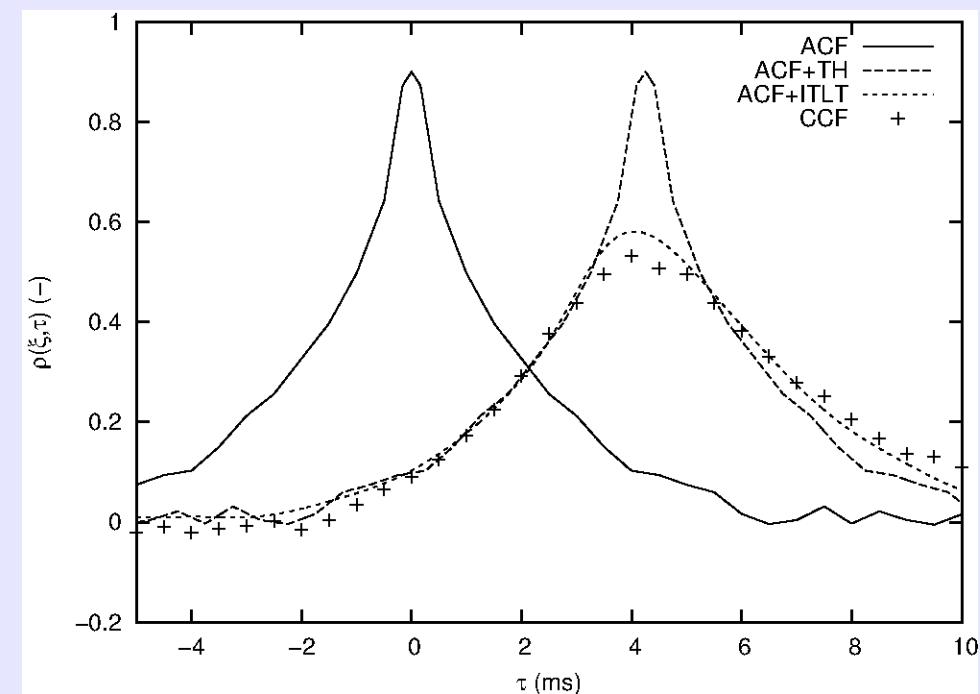
$$\rho(\xi, \tau) = \int_{-\infty}^{\infty} \rho(0, \tau-t) f_t(t) dt$$

◆ Variable Velocity

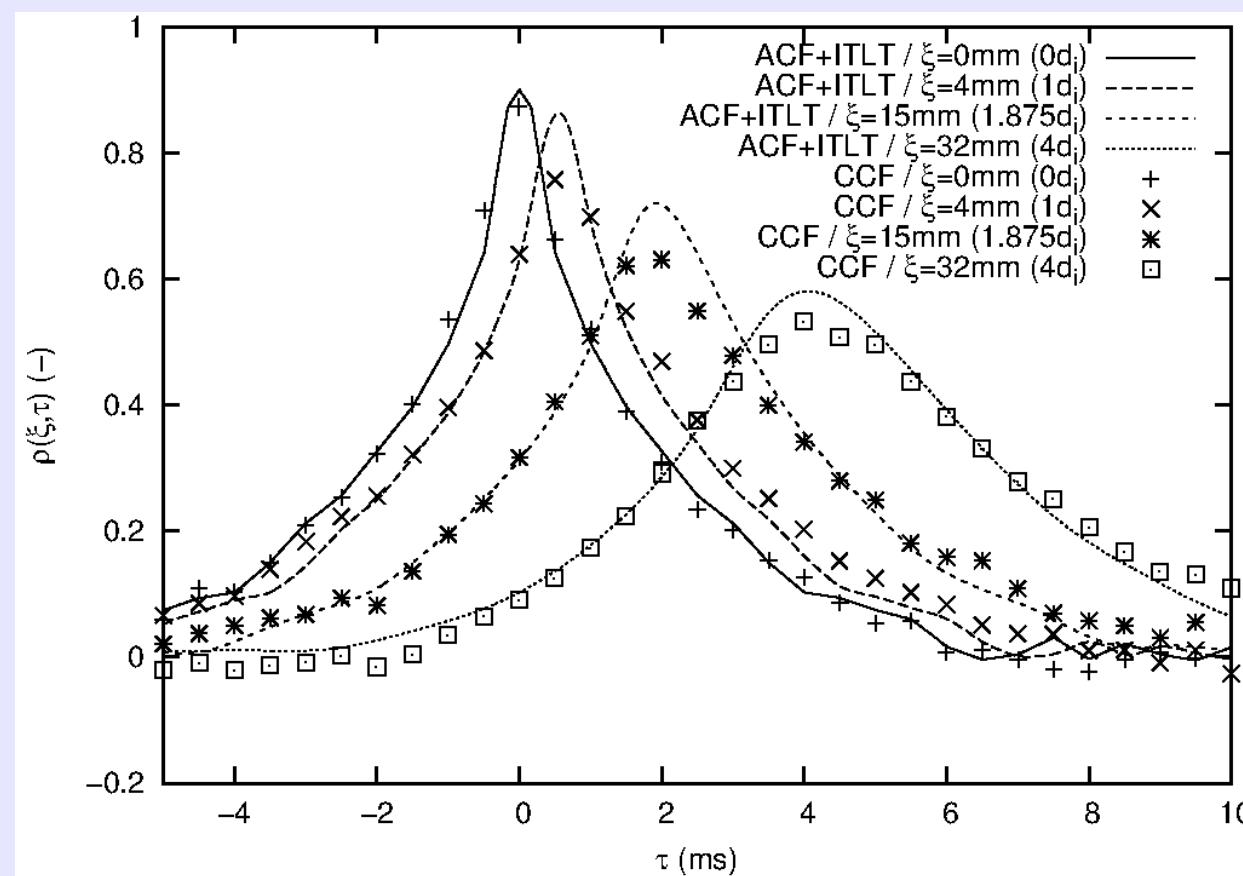
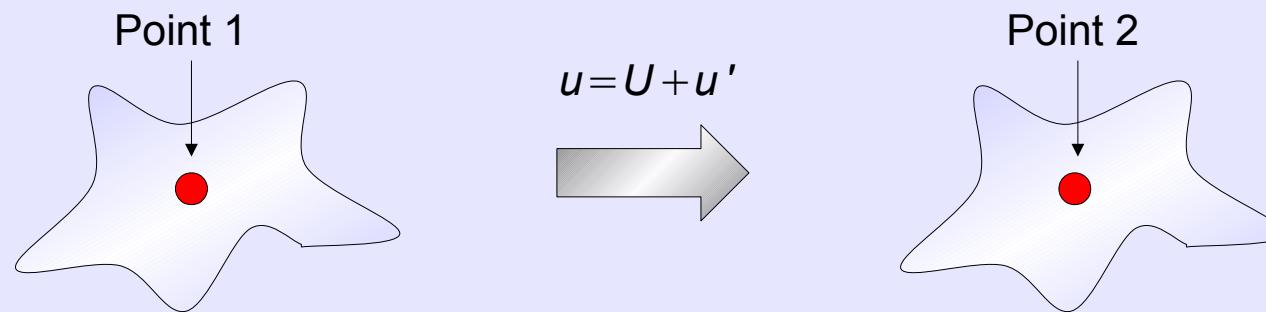
Corrections for Local quantities (like gradients)
“Structures” ?



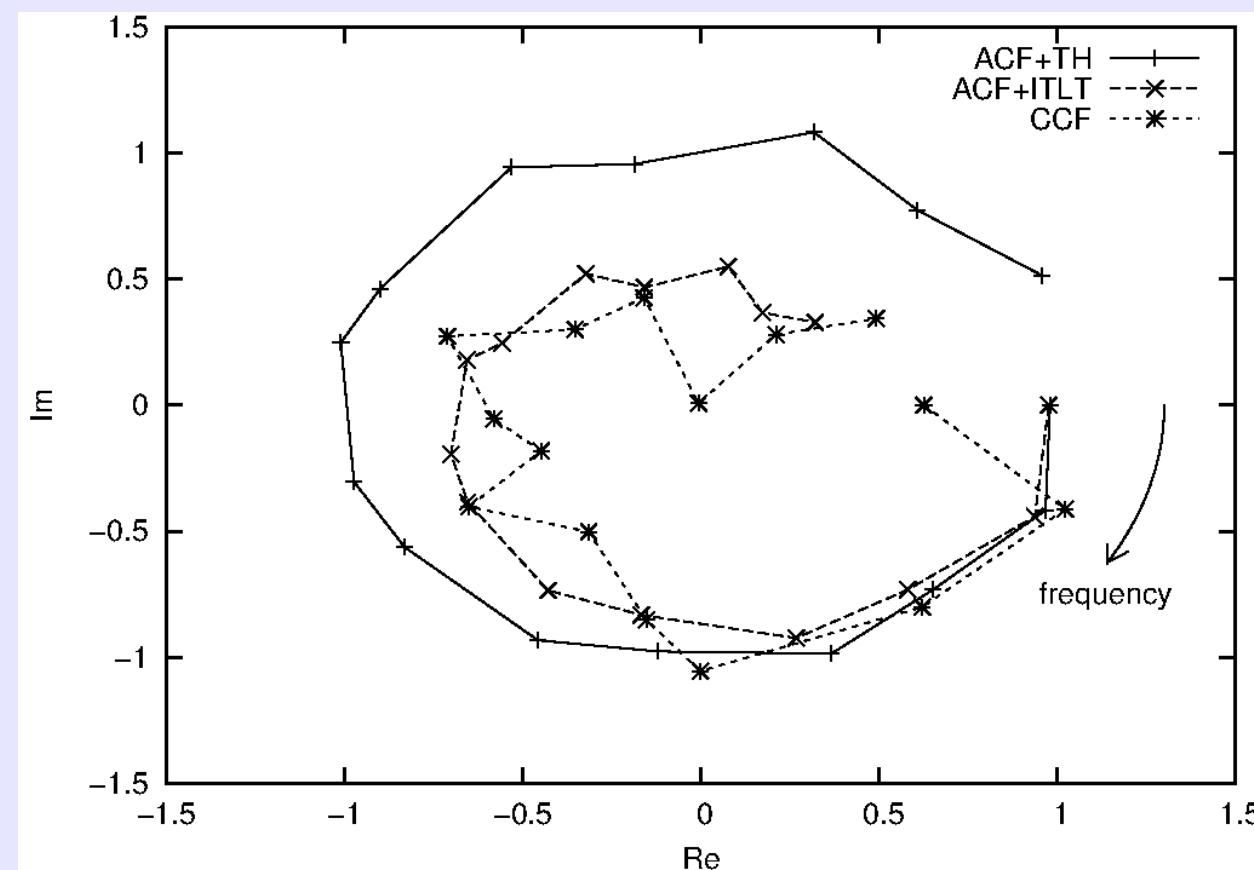
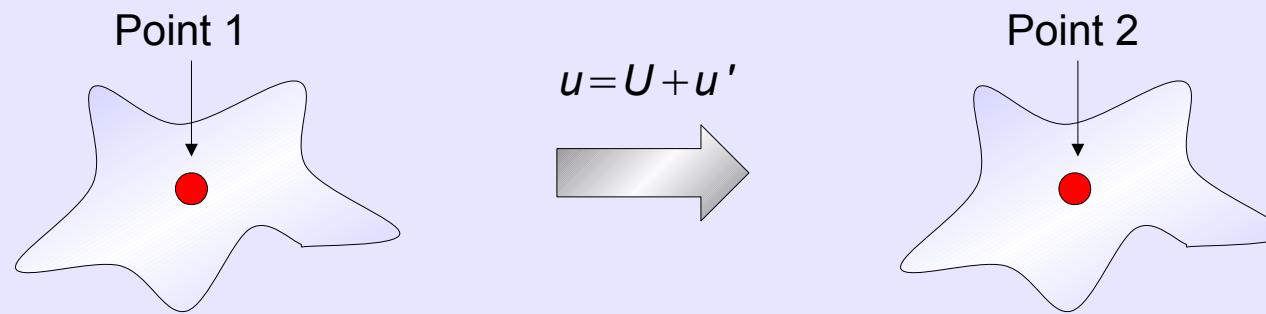
Spatio-Temporal
Correlation Function



◆ Spatio-Temporal Correlation

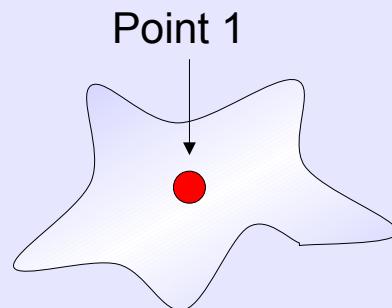


◆ Spatio-Temporal Correlation

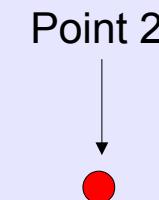


◆ No correlation (random walk)

first arrival: $f_t(t) = \sqrt{\frac{\lambda}{2\pi t^3}} e^{-\frac{\lambda(t-\mu)^2}{2\mu^2 t}}$ (inverse normal distribution) $\mu = \frac{\xi}{U}$

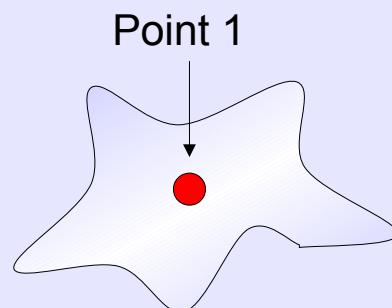


$$u = U + u'$$

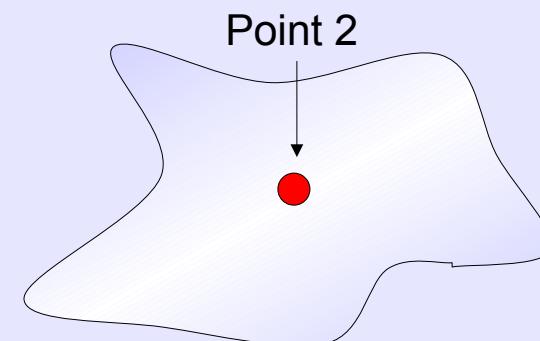


◆ Decaying Correlation

$$f_t(t) = ?$$



$$u = U + u'$$



- ◆ Project:
 - ◆ (Multiple) Arrival Time PDF for Correlated Random Walk
 - ◆ Prediction of the Spatio-Temporal Correlation
 - ◆ Proof in Turbulent Jet
 - ◆ Proof in Boundary Layer
 - ◆ Proof of Corrections to Gradients